

LEGOLOG

Control and Execution

- Programs: RCX visual language or NQC
 - program controls: sequence, if-then, while, until, etc. with concurrent features (tasks)
- Planning: hard-coded into programs
- Interactions during execution time: none, except the robot's interaction with the environment (sensors)
 - difficult (impossible) to recover from failures
 - no change in the course of actions
 - à inflexibility of robots

High-level Control

- Goals:
 - increase the flexibility of the robot by allowing interactions during execution
 - simplify the robot control by allowing high-level planning execution and monitoring
- Programs: divided into two parts
 - Part 1: Basic actions
 - written in NQC
 - consisting of several basic tasks
 - do not contain the "main" control part that combines the tasks to achieve the goal of the program – the "main" task contains a loop that waits for commands from the controller and executes these commands
 - Part 2: Main control part
 - written in a high-level robot control language called ConGolog
- Execution of programs: controlled by an execution monitoring program called IndiGolog

ConGolog – An Overview

- High-level logic programming language
 - primitives: basic actions of a dynamic domain
 - controls:
 - well-known constructs such as sequence, if-then-else, while, procedure
 - special constructs: nondeterministic choice of arguments, nondeterministic choice of actions
 - concurrent constructs
 - prioritized, interrupts

IndiGolog - Overview

- Incremental deterministic ConGolog with sensing actions
- Interpreter:
 - implemented in Eclipse prolog
 - considers exogenous actions
 - interactions during execution

Communication between IndiGolog and RCX

- Originally done through serial port (IR tower), Linux OS:
 - Prolog sends commands to RCX by writing directly to the serial port
 - Prolog reads responses from RCX by reading the serial port
- In this course: we need to change this communication due to the USB port:
 - Two ways connection between Eclipse and JAVA (Eclipse library)
 - Two ways connection between JAVA and RCX (Java SDKMindstorms)

What's next?

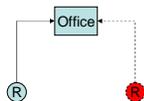
- ConGolog
- Eclipse Prolog
- IndiGolog interpreter
- Communication between Eclipse and Java
- Communication between Java and RCX
- Application: Schedule a meeting (a variation of the delivery example from the Legolog's paper)

ConGolog

- ConGolog programs: primitives are actions of a dynamic domain
- Constructs: well-known program constructs
- Example:
 - go_straight; turn_left
 - if (connected) then go_straight else go_back;
 - while (¬at_intersection) do go_straight
 - while (¬at_goal_line) do go_straight | turn_left | turn_right
 - proc(go_to_room(X),[...])
 - proc(get_coffee,[go_to_room(123), ...])
 - ((go_straight; turn_left) | (go_straight; turn_right)); ?(at_office);

ConGolog – Intuition

- Given: a description of the world
 - actions
 - fluents
 - effects of actions on the environment
- ConGolog programs: partial plans



Example:

```
((go_straight; turn_left) | (go_straight; turn_right)); ?(at_office);
```

This is a **partial plan for the robot to go to the office**. At execution time, depending on the current location, the robot will decide which of the programs (go_straight; turn_left) OR (go_straight; turn_right) will lead to the goal of being at_office after its execution and then execute it.

Something we have learned ...

- Logic
 - Propositional logic
 - First order logic
- Basic definitions
 - Syntax:
 - Term
 - Atom
 - Sentences
 - Semantics:
 - Interpretation
 - Model
 - Satisfiability
 - Entailment
 - Inference, Proof,

Situation Calculus

- Multi-sorted first order logic theories with the three sorts: actions, fluents, and situations
- A situation calculus theory is a multi-sorted first order logic theory consisting of
 - the set of actions: **Actions**, the set of fluents: **Fluents**
 - function: **Do: Actions x Sits à Sits** where **Sits** denotes the set of situations
 - predicate: **Holds** with two arguments **Fluents** and **Sits**
 - for each pair of an action **Act** and a fluent **F**, a *successor state axiom* of the form

$$\text{Holds}(F, \text{Do}(\text{Act}, s)) = \gamma(\text{Act}, F, s) \vee (\text{Holds}(F, s) \wedge \neg \gamma(\text{Act}, F, s))$$
 where $\gamma(\text{Act}, F, s)$ denotes the positive (negative) precondition of **Act**
 - a situation constants: **S0** – initial situation
 - the set of axioms describing the initial situation, i.e., axioms of the form $\text{Holds}(F, S0)$
 - the set of actions preconditions of the form $\text{Poss}(\text{act}, s) \supset \gamma(\text{act}, s)$
 - the set of domain-independent foundational axioms
 - the set of domain closure axioms
 - the set of unique name axioms for actions
- A situation term is of the form $\text{Do}(a_1, \text{Do}(a_2, \dots, \text{Do}(a_n, S0)))$ or $S0$ (or: $\text{Do}(\text{act}, s)$ where s is a situation term and act is an action)
- Entailment is defined as in first order logic

Example

Navigation in a graph: a bi-directed graph representing by a set of nodes and a relation $\text{Connected}(X, Y)$.

Actions = $\{\text{Move}(X, Y) \mid X, Y \text{ are nodes of the graph}\}$

Fluents = $\{\text{At}(X) \mid X \text{ is a node of the graph}\}$

$S0$: $\text{Holds}(\text{at}(0), S0)$ "initially, the robot is at node 0"

Action precondition:

$$\text{Poss}(\text{Move}(X, Y), s) \supset \text{Holds}(\text{At}(X), s) \wedge \text{Connected}(X, Y)$$

Successor state axiom: $\text{Holds}(\text{At}(X), \text{Do}(\text{act}, s)) \equiv \text{act} = \text{Move}(Y, X)$

Question: What is the truth value of

$$\text{Holds}(\text{At}(1), \text{Do}(\text{Move}(0, 1), S0)),$$

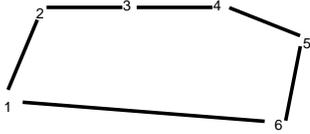
$$\text{Holds}(\text{At}(0), \text{Do}(\text{Move}(1, 0), \text{Do}(\text{Move}(0, 1), S0))), \text{ and}$$

$$\text{Holds}(\text{At}(2), \text{Do}(\text{Move}(1, 0), \text{Do}(\text{Move}(0, 1), S0)))$$

given three nodes 0, 1, 2 and the relation $\text{Connected} = \{(0, 1), (0, 2)\}$.

Another example

The railway domain



1, 2, ..., 6: stations – white board
Connections: black tape

Navigation in the railway domain

Actions = {*GoToNextStation*(*X*, $1+X \bmod 6$) | *X* is a station}

Fluents = {*At*(*X*) | *X* is a station}

S0: *Holds*(*at*(1), *S0*) "initially, the robot is at station 1"

Action precondition:

$\text{Poss}(\text{Move}(X, Y), s) \supset \text{Holds}(\text{At}(X), s) \wedge Y = 1 + X \bmod 6$

Successor state axiom:

$\text{Holds}(\text{At}(X), \text{Do}(\text{act}, s)) \equiv \text{act} = \text{GoToNextStation}(Y, X)$

Question: What is the truth value of

Holds(*At*(1), *Do*(*GoToNextStation*(6, 1), *S0*),

Holds(*At*(2), *Do*(*GoToNextStation*(1, 2), *S0*), and

Holds(*At*(3), *Do*(*GoToNextStation*(1, 2), *S0*)).

Projection in Situation Calculus

- Given a situation calculus theory *D* and a sequence of actions a_1, \dots, a_{n-1}, a_n and a fluent *f*.
- Projection is the problem of determining whether
 $D \models \text{Holds}(f, \text{Do}(a_n, \text{Do}(a_{n-1}, \dots, \text{Do}(a_1, S_0))))$
holds or not.
- Examples: see previous slides